

Welcome to 18.02 Recitation

Mass Tech

Evan Chen

4 September 2024

About me

- Evan Chen (`evan@evanchen.cc`), I'm a 5th-year grad student.
- Please call me Evan and not any of this Mr. Chen nonsense
- My recitation is MW 9:05-9:55am in 2-135 (right now).
- My office hours is 10am in some room TBD.

Places to find things

- Canvas website has all the important course stuff
 - Piazza
 - Gradescope
- MIT-X has part of your problem sets
- <https://web.evanchen.cc/1802.html> will have any optional supplemental stuff I make (like these slides), it's **not** important

Dates

- Your first PSet is due Tue September 10. (It's shorter.)
- Midterms are **Fri Sept 27, Tue Oct 22, Fri Nov 15**.
 - Put these in your calendar right now, you do not want to miss them.
- Final TBD: don't book plane tickets home until date published.

What to expect

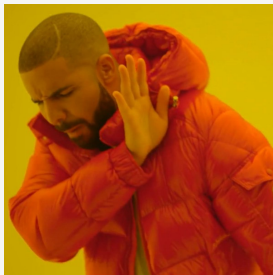
Book

- First 7-ish lectures will actually be **linear algebra** from Poonen's notes. No calculus at all!
- Afterwards, switch to Edwards and Penney for actual calculus.
 - but tbh Poonen probably still better than E&P.

Class

- Lecture: Maulik teaches.
- Recitation: Evan makes you do a worksheet.
 - (Today is unusual; future recitations won't have slides like this.)
 - Worksheets have about 4 problems but we won't cover them all.
 - Solutions posted later.
- Office hours: ask anything.
 - You can go to anyone's office hours.

Advice you didn't ask for



Recitation

- 25 people
- always at 9am
- stuck with evan
- literally just a worksheet
- sol later anyway



Office hours

- less crowded (esp. WThF)
- any time
- any TA
- ask anything

Intro to vectors

Type safety (see printout)

Any time you see a new operation, make sure you know what **types** of objects are involved.

Nouns you'll see this week

Term	Example	Notation	Container
Real num/scalar	$\frac{2}{3}, \sqrt{\pi}$	Lowercase (r, λ, \dots)	\mathbb{R}
Vector	$\begin{bmatrix} 3 \\ 4 \end{bmatrix} = \langle 3, 4 \rangle$	$\vec{v}, \mathbf{v}, \overrightarrow{PQ}, \dots$ $\mathbf{e}_1 = \mathbf{i} = \vec{i} = \langle 1, 0, 0 \rangle$ $\mathbf{e}_2 = \mathbf{j} = \vec{j} = \langle 0, 1, 0 \rangle$ $\mathbf{e}_3 = \mathbf{k} = \vec{k} = \langle 0, 0, 1 \rangle$	\mathbb{R}^n
Matrix	$\begin{bmatrix} 1 & 2 \\ 3 & 4 \end{bmatrix}$	Uppercase (A, M, \dots)	idk

Intro to vectors (cont'd)

For linear algebra, most of our concepts will have both an **algebraic definition** (in coordinates) but *also* a corresponding **geometric picture**. You need to be able to translate between the two freely.

Fill in this table

	Notation	Type sig	Def (coords)	Pic
Vector		(noun)		
Len/mag				
Unit vector		(adj)		
Scale vector				
Add vectors				
Subtract vectors				
Dot prod. (tmrw)				