# Iberoamerican 2020/6 

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Twitch Solves ISL

Episode 51

## Problem

Let $A B C$ be an acute, scalene triangle. Let $H$ be the orthocenter and $O$ be the circumcenter of triangle $A B C$, and let $P$ be a point interior to the segment $H O$. The circle with center $P$ and radius $P A$ intersects the lines $A B$ and $A C$ again at $R$ and $S$, respectively. Denote by $Q$ the symmetric point of $P$ with respect to the perpendicular bisector of $B C$. Prove that points $P, Q, R$ and $S$ lie on the same circle.

## External Link

https://aops.com/community/p18969935

## Solution

By IMO Shortlist 2016 G5, one finds that the circumcenter of $\triangle P S R$ lies on the perpendicular bisector of $\overline{B C}$, the end.

